

Math 500.01W, Discrete Mathematics

COURSE SYLLABUS: Summer I, 2020

INSTRUCTOR INFORMATION

Instructor: Dr. Tingxiu Wang, Professor of MathematicsOffice Location:Binnion 306Office Hours: TR 9:30am-11:00am on YouSeeU, D2LOffice Phone:903-886-5958Office Fax: 903-886-5945Email Address:Tingxiu.wang@tamuc.eduPreferred Form of Communication: emailCommunication Response Time: usually within 24 hours during week days, M-F.

COURSE INFORMATION

This is an online class conducted on D2L Brightspace. Use the link <u>https://leo.tamuc.edu</u>, then, click the icon, D2L Brightspace for the class website. Please visit the class website to be familiar with it.

Course Materials:

- Required Technology: <u>A computer with a webcam and stable internet access</u>.
- Required Textbook: A Discrete Transition to Advanced Mathematics by Bettina Richmond and Thomas Richmond, ISBN-13: 978-0821847893 published by the American Mathematical Society, and can be purchased at <u>http://bookstore.ams.org/amstext-3</u>.
- A <u>free student solutions manual</u> can be downloaded from the link, <u>http://www.ams.org/bookstore/pspdf/amstext-3-solutions.pdf</u>
- Recommended for projects: Discrete Mathematics in the Schools, edited by J.
 Rosenstein, D. Franzblau, and F. Roberts, ISBN-13: 978-0-8218-1137-5. If you would like to work on a project (See Appendix C, Option 3) on discrete math for your classes that you teach, you may want to get this book. You can buy it at the following link, <u>http://bookstore.ams.org/dimacs-36/</u>.
- Required Articles: These are examples for your project.
 - Xing Yuan. Mathematical Fallacy Proofs, MIT student projects. Available MIT Open Courseware: <u>http://dspace.mit.edu/bitstream/handle/1721.1/100853/18-304-spring-</u> <u>2006/contents/projects/fallacy_yuan.pdf</u>
 - David and Elise Price. Complex Numbers: From "Impossibility" to Necessity. The AMATYC 2018 Conference Proceedings <u>https://cdn.ymaws.com/amatyc.site-ym.com/resource/resmgr/2018</u> proceedings/s038 -<u>price.pdf</u>
 - Sean Saunders, Standing on the Shoulders of Giants. The AMATYC 2019 Conference Proceedings. This is a Power Point Presentation, which gives you ideas what to do. When you write your project, you need to write it as a paper, not a PowerPoint Presentation. <u>https://cdn.ymaws.com/amatyc.site-ym.com/resource/resmgr/2019_conference_proceedings/s017_saunders.pdf</u>



<u>Course Description:</u> Study of formal logic; sets; functions and relations; principle of mathematical induction; recurrence relations; and introductions to elementary number theory; counting (basic combinatorics); asymptotic complexity of algorithms; graph theory; and NPcompleteness. Prerequisite: Consent of the instructor.

Student Learning Outcomes:

At the end of this course students will be able to

- Prove or solve selected problems in theories and applications of Combinatorics, Functions, Graph, Logic, Numbers, and Sets.
- Develop some examples of discrete mathematics used in Grade 7-12 classes.
- Analyze some mathematics mistakes made by students of Grades 7-12.

COURSE REQUIREMENTS

Evaluation is based on homework, glossary, tests, and a course project.

Attendance: Online attendance is required. It is critical that you keep up with the pace of this class. A summer term goes very quickly. Once you are behind our pace, you can get lost easily. You are strongly suggested to study ahead of our pace. Online attendance in this course is determined by your login and participation in our course on LMS (Learning Management System), D2L.

Attendance means students will watch video lectures, join online discussion, submit required homework and glossary on time.

Glossary: This course has numerous terms. Understanding glossary is essential for this course. A template of glossary will be provided, and you are required to complete the template with the correct explanation/definition of each term. You will lose credit without the correct explanation/definition. Discussion with your classmates is allowed, but <u>the paper you submit</u> <u>must be your own work</u>. Plagiarism is prohibited. Do not share your paper with your classmates, and do not ask your classmates for a file of glossaries.

Glossaries are worth of a total of 100 points. <u>The file of glossary must be prepared by</u> <u>Microsoft Word</u>, and submitted to D2L, Assignments with the following format for your file name: LastName-Glossary-Ch#. Deadlines of submission can be found in Appendix B.

Homework: Without doing homework, one cannot learn. Thus, homework must be done and submitted to show your study and attendance.

Homework assignments for each chapter are worth of 24 points. Chapters 5 and 6 are counted as one chapter. The total for homework is 120 points. Please see homework assignments in Appendix A. They will not be graded but will be checked for how many questions are completed and if necessary work is presented. Missing questions and answers without work do not earn credit. Late submission will be subject to a deduction of 12 points.

You may work and discuss homework together on D2L. To do so, click Activities, Discussions for each week on D2L. You can share your homework there. When you share your homework in Discussion on D2L, everyone can see it and download it. You still need to submit your homework to Activities, Assignments. The instructor will choose a homework assignment posted on D2L to grade and share it with the entire class. The textbook has answer keys and

solutions for some homework assignments. You can also use the solution manual of the textbook at <u>http://www.ams.org/bookstore/pspdf/amstext-3-solutions.pdf</u>. Feel free to ask your instructor questions in the Virtual Office.

Appendix B shows deadlines for homework assignments. <u>The assignment you submit must be</u> <u>your own work. Plagiarism is prohibited.</u> Submit homework to Activities, Assignments on D2L with the following format for your file name: LastName-HW-Lecture#.

- Tests: There will be three tests. Each test is worth of 100 points for 90 minutes. Please see Appendix B for the dates of tests. Instead of using online proctoring service or a testing center, we use ZOOM to proctor tests. In this way, we save money for our students. So you must have a webcam on your computer. When we have a test, a link to ZOOM will be provided. If you have questions, discuss it with your instructor immediately. Submit your test to D2L with the following format for your file name: LastName-Test#. We will have tests at the following times. The time 9:15 AM 10:45 AM is tentative. We will confirm with the class that the time works for everyone. You should plan to log on to ZOOM to check in at 9:00 AM. Each test will start at 9:15 AM promptly. The test will be closed at 10:45 AM, and you need to complete submission of your test by 10:59 AM. Tests will not be accepted after 11:00 AM. So for the entire test, you need to be available for two hours from 9:00 AM to 11:00 AM.
 - Test 1: 9:15 AM 10:45 AM, Friday, June 12
 - Test 2: 9:15 AM 10:45 AM, Monday, June 22
 - Test 3: 9:15 AM 10:45 AM, Monday, June 29
- Project: You will do a course project, worth of 100 points. Please see details in Appendix C. The deadline for submitting your project is 11:59PM, Thursday, July 2, 2020. Submit your project to D2L, Activities, Assignments, with the following format for your file name: LastName-Project.
- Grading: The maximum possible points available in this course are:

| Glossary | 100 points |
|----------|------------|
| Homework | 120 points |
| Tests | 300 points |
| Projects | 100 points |
| Total | 620 points |

Your course grade will be based on the percentage of the points you make to the total points available in the course:

TECHNOLOGY REQUIREMENTS

- TI-83/84 or other calculators with similar capability is highly recommended.
- Scanner/digital camera/cell phone that you can make PDF files of your work and submit them to D2L. Make one PDF file for each test, project, glossary for each chapter, and homework for each chapter. Please visit the following video clips for making one PDF file:
- D2L/LMS: All course sections offered by Texas A&M University-Commerce have a corresponding course shell in the <u>myLeo</u> Online Learning Management System (LMS). You will obtain the course materials through LMS. You cannot distribute the course materials without permission of the instructor. To access LMS, go to <u>myLeo</u>,

then Apps, then My Leo Online D2L Brightspace. You also have an email account via myLeo - all my emails sent from D2L (and all other university emails) will go to this account, so please be sure to check it regularly.

- Using CamScanner: <u>https://www.youtube.com/watch?v=sZFcQJCmtMI</u>
- Android: <u>https://www.youtube.com/watch?v=FWIVYd2Zc-E</u>
- o iPhone: <u>https://www.youtube.com/watch?v=10XH6VfGLqI</u>

Below are technical requirements

- LMS Requirements: <u>https://community.brightspace.com/s/article/Brightspace-Platform-Requirements</u>
- LMS Browser Support: <u>https://documentation.brightspace.com/EN/brightspace/requirements/all/browser_support.htm</u>
- YouSeeU Virtual Classroom Requirements: <u>https://support.youseeu.com/hc/en-us/articles/115007031107-Basic-System-Requirements</u>

ACCESS AND NAVIGATION

You need your campus-wide ID (CWID) and password to log into the course. If you do not know your CWID or have forgotten your password, contact the Center for IT Excellence (CITE) at 903.468.6000 or <u>helpdesk@tamuc.edu</u>.

Course readings, assignments and discussions will be completed /turned in through LMS. Your grades will be available in LMS. The course materials are only for this course. You cannot distribute the course materials without permission of the instructor

This course is presented using weekly units. Each unit contains video lectures, a discussion area, assignments, a quiz or an exam.

You should begin by reading the course syllabus, paying particular attention to the assignments and Suggested Day-by-Day Schedule, and then complete the Start Here unit.

Note: Personal computer and internet connection problems do not excuse the requirement to complete all course work in a timely and satisfactory manner. Each student needs to have a backup method to deal with these inevitable problems. These methods might include the availability of a backup PC at home or work, the temporary use of a computer at a friend's home, the local library, office service companies, Starbucks, a TAMUC campus open computer lab, etc.

COMMUNICATION AND SUPPORT

Interaction with Instructor: You may email and telephone your instructor, and visit your instructor at LMS. I will try to respond your email within 24 hours, Monday through Thursday. My response over the weekend may have a delay.

The following features are available through Activities, Discussions:



- Virtual Office: This space is set aside for students to ask course related questions. Place answer any questions or concerns about the course here and they will answered within 24 hours on weekdays. (It is possible that I will answer all threads during my office hours as posted on the syllabus.)
- **Student Lounge**: This space is for students to communicate with each other. I may visit Student Lounge and join your discussion.
- Weekly Discussion: This space is for student questions related to the week's content. Please feel free to answer one another's questions. I will check answers (as well as questions) for correctness, but do not hesitate to respond to a posting if you feel you can answer the question thoroughly and directly.

• Sharing your homework with the class: We do not grade your homework. To help your study, you can share your homework with the class by posting your homework in Weekly Discussion. Make sure you do the homework independently. When you post your paper for a homework assignment on D2L, please use a title like, Assignment 1 on Pages 8-9, #3, 4, 9. When you correct mistakes and errors for a shared assignment, use a description like, "Correction on #3 of Assignment N (or Page #), posted by XYZ (name of the student)."

Math Lab: Free tutoring service offered by the Mathematics department (Binnion Hall Room 328). Please visit the web site for the hours of operation and more details.

http://www.tamuc.edu/academics/colleges/scienceEngineeringAgriculture/departments/mathematics/students/defa ult.aspx

The TAMUC One Stop Shop- provides as many student resources as possible in one location. <u>http://www.tamuc.edu/admissions/oneStopShop/</u>

The TAMUC Academic Success Center provides academic resources to help you achieve academic success. <u>http://www.tamuc.edu/CampusLife/CampusServices/AcademicSuccessCenter/default.aspx</u>

Technical Support

If you are having technical difficulty with any part of Brightspace, please contact Brightspace Technical Support at 1-877-325-7778. Other support options can be found here: https://community.brightspace.com/support/s/contactsupport

Syllabus Change Policy

The syllabus is a guide. Circumstances and events, such as student progress, may make it necessary for the instructor to modify the syllabus during the semester. Any changes made to the syllabus will be announced in advance.

University Specific Procedures

Student Conduct

• All students enrolled at the University shall follow the tenets of common decency and acceptable behavior conducive to a positive learning environment. The Code of Student Conduct is described in detail in the <u>Student Guidebook</u>.

http://www.tamuc.edu/Admissions/oneStopShop/undergraduateAdmissions/studentGuidebook.aspx

• Students should also consult the Rules of Netiquette for more information regarding how to interact with students in an online forum: https://www.britannica.com/topic/netiquette

TAMUC Attendance

- For more information about the attendance policy please visit the <u>Attendance</u> webpage and <u>Procedure</u> <u>13.99.99.R0.01</u>. <u>http://www.tamuc.edu/admissions/registrar/generalInformation/attendance.aspx</u>
- <u>http://www.tamuc.edu/aboutUs/policiesProceduresStandardsStatements/rulesProcedures/13students/acade</u> <u>mic/13.99.99.R0.01.pdf</u>

Academic Integrity

Students at Texas A&M University-Commerce are expected to maintain high standards of integrity and honesty in all of their scholastic work. For more details and the definition of academic dishonesty see the following procedures:

<u>http://www.tamuc.edu/aboutUs/policiesProceduresStandardsStatements/rulesProcedures/13students/undergraduates/13.99.99.R0.03UndergraduateAcademicDishonesty.pdf</u>

Graduate Student Academic Dishonesty 13.99.99.R0.10

http://www.tamuc.edu/aboutUs/policiesProceduresStandardsStatements/rulesProcedures/13students/graduate/ 13.99.99.R0.10GraduateStudentAcademicDishonesty.pdf

Students with Disabilities-- ADA Statement

The Americans with Disabilities Act (ADA) is a federal anti-discrimination statute that provides comprehensive civil rights protection for persons with disabilities. Among other things, this legislation requires that all students with disabilities be guaranteed a learning environment that provides for reasonable accommodation of their disabilities. If you have a disability requiring an accommodation, please contact:

Office of Student Disability Resources and Services

Gee Library- Room 162 Phone (903) 886-5150 or (903) 886-5835 Fax (903) 468-8148 Email: <u>studentdisabilityservices@tamuc.edu</u> Website: <u>Office of Student Disability Resources and Services</u> <u>http://www.tamuc.edu/campusLife/campusServices/studentDisabilityResourcesAndServices/</u>

Nondiscrimination Notice

Texas A&M University-Commerce will comply in the classroom, and in online courses, with all federal and state laws prohibiting discrimination and related retaliation on the basis of race, color, religion, sex, national origin, disability, age, genetic information or veteran status. Further, an environment free from discrimination on the basis of sexual orientation, gender identity, or gender expression will be maintained.

Campus Concealed Carry Statement

Texas Senate Bill - 11 (Government Code 411.2031, et al.) authorizes the carrying of a concealed handgun in Texas A&M University-Commerce buildings only by persons who have been issued and are in possession of a Texas License to Carry a Handgun. Qualified law enforcement officers or those who are otherwise authorized to carry a concealed handgun in the State of Texas are also permitted to do so. Pursuant to Penal Code (PC) 46.035 and A&M-Commerce Rule 34.06.02.R1, license holders may not carry a concealed handgun in restricted locations.

For a list of locations, please refer to the <u>Carrying Concealed Handguns On Campus</u> document and/or consult your event organizer.

Web url:

http://www.tamuc.edu/aboutUs/policiesProceduresStandardsStatements/rulesProcedures/34SafetyOfEmployees AndStudents/34.06.02.R1.pdf

Pursuant to PC 46.035, the open carrying of handguns is prohibited on all A&M-Commerce campuses. Report violations to the University Police Department at 903-886-5868 or 9-1-1.

COPYRIGHT: The course materials are only for use in this course. You cannot distribute the course materials without permission of the instructor.

Tip: Each homework assignment corresponds to a video lecture. After watching each video lecture, do the corresponding homework. A few video lectures do not have a homework assignment. Then watch two video lectures before doing the homework, like Assignment 1/2, 14/15, and 22/23.

| Assignment | Problems | |
|--------------|--|---------------|
| and | | |
| Lecture # | | |
| Chapter One | | |
| 1/2 | Page 7-8, #3, 4, 9 | Homework |
| 3 | Pages 18-20. #2, 3, 4, 10 | and glossary |
| 4 | Pages 19-20, #6 | for Ch. 1 due |
| 5 | Use Venn diagrams to show that | Sunday, June |
| | (1) $A \cap (B \cup C)$ | 7, 11:59PM |
| | (2) DeMorgan's Law: $(A \cap B)^c = A^c \cup B^c$ | |
| 6 | Pages 20, #12, 13, 14, 16 | |
| 7 | Pages 23, Justify your answers, #2, 4, 7(a, b, c) | |
| 8/9 | Pages 32-34, #1, 2, 3, 5 | |
| 10 | Pages 33-34, 6, 7, 8, 9, 13 | |
| 11 | Pages 38-39, #1, 2, 3 | |
| 12 | Pages 47, #7, 10,(iv, v, vii), 11(a, c) | |
| 13 | Pages 46-47, 1, 2, 5, 6(b, c, d, g), 8(a) | |
| Chapter Two | | |
| 14/15 | Prove that | Homework |
| | (1) The sum of any two odd integers is an even integer | and glossary |
| | (2) The sum of an even integer and an odd integer is an odd integer | for Ch. 2 due |
| | (3) The product of an even integer and an odd integer is an even integer | Thurs., June |
| | (4) The product of two even integers is an even integer | 11, 11:59PM |
| 16 | Page 59, #8, and | |
| | (1) Prove that xy = x y | |
| 17 | Prove or disprove | |
| | (1) $(x+1)^3 \ge x^3, \forall x \in R$ | |
| | (2) If p is a prime number, so is p^2 . | |
| 18 | Pages 59, #13, 14, 16, and | |
| | (1) Prove that if x^2 is irrational, so is x. | |
| | (2) Prove that the product of a rational number and an irrational number is an | |
| | irrational number. | |
| 19 | Page 60, #20, 22, 23 | |
| 20 | Page 59, #6, 9, 10, 11, 29 | |
| 21 | Page 68, 2(b, d), 9, 11 | |
| 22/23 | Page 75-76, 1, 2, 3, 4, 6, 8 | |
| 24 | Page 75-76, 7, 9, 10, 11 | 1 |
| Chapter Thre | 26 | |
| 25 | a. Get answers for Fact 2 and Fact 3. | Homework |
| | b. How many integers are there such that | and glossary |
| | (i) $-12 \le i \le 36$ | for Ch. 3 due |
| | (ii) $-33 \le i \le -14$ | Wed., June |
| | (iii) Between -10 ³⁰ and 10 ³⁰ | 17, 11:59PM |

| 26 | a. Find the values of each of the following | |
|---|--|--|
| | | |
| | $(1) \left[\frac{1}{47} \right] $ $(11) \left[-107 \right] $ $(111) \left[278 \right] $ $(10) \left[-7.52 \right] $ $(0) \left[-0.5 \right] $ | |
| | b. Find the values of each of the following | |
| | (1) $[16]$ (1) $[167]$ (1) $[278]$ (1) $[722]$ (1) $[0.5]$ | |
| | $\left(1\right) \left[\frac{47}{47}\right]$ $\left(11\right) \left[-107\right]$ $\left(111\right) \left[278\right]$ $\left(101\right) \left[-7.52\right]$ $\left(01\right) \left[-0.5\right]$ | |
| | c. How many odd integers are there between | |
| | (i) 1 and 30 (ii) 41 and 120 | |
| | (iii) 31 and 97 (iv) 100 and 10000 | |
| | d. How many multiples of 6 are there between | |
| | (i) 0 and 120 (ii) 9 and 77 | |
| | (iii) -8 and 34 (iv) -300 and 4300 | |
| 27 | Page 86, 2, 3, 4, 5 | |
| 28 | Page 87, 9, 17(b, c), 19, 20, 21 | |
| | Hint for #19, 20, 21: proof by mathematical induction, or by cases. See Lectures | |
| | 16 and 21. | |
| 29 | Page 86, 7(a, b, c, d), 13, 10 | |
| 30 | Page 87, 15 (Find $gcd(m,n)$ by two methods) | |
| 31 | Page 94, 1(b, d), 4, 7, 9 | |
| | A. There are three methods to find $gcd(m,n)$. Which one do you like | |
| | better? Please explain | |
| 32 | Page 100, 1(b, d), 5, 6, 13 | |
| 33 | Page 108, 6(a, Hint: by mathematical induction), 14(b) | |
| Chapter Fou | r | |
| | | |
| | | |
| We rearrang | e the topics in Sections 4.1, 4.2 and 4.3 in terms of the order of concept development | :: the |
| We rearrang Fundamenta | e the topics in Sections 4.1, 4.2 and 4.3 in terms of the order of concept development I Principle of Counting, Permutations, and Combinations. Watch video lectures first, t | :: the hen read the |
| We rearrang Fundamenta textbook for | e the topics in Sections 4.1, 4.2 and 4.3 in terms of the order of concept development I Principle of Counting, Permutations, and Combinations. Watch video lectures first, t related topics as indicated in the following assignments. | <mark>:: the</mark> hen read the |
| We rearrang Fundamenta textbook for 34 | e the topics in Sections 4.1, 4.2 and 4.3 in terms of the order of concept development I Principle of Counting, Permutations, and Combinations. Watch video lectures first, t related topics as indicated in the following assignments. Read: Pages 132-136 (stop at Example 4.2.4. Do not read 4.2.4) | :: the hen read the Homework |
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| We rearrang Fundamenta textbook for 34 35 | e the topics in Sections 4.1, 4.2 and 4.3 in terms of the order of concept development I Principle of Counting, Permutations, and Combinations. Watch video lectures first, t related topics as indicated in the following assignments. Read: Pages 132-136 (stop at Example 4.2.4. Do not read 4.2.4) HW, Pages 139-140, 1, 7, 8(a) Read: Pages 136 (Example 4.2.7)-139. | :: the hen read the Homework and glossary for Ch. 4 due |
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| | denomination and one other card. For example, A-A-A-A-8 and 7-7-7-7-K are | |
|----------------|---|----------------|
| | hands of four-of-a-kind. | |
| 39 | Read: pages 147-149 up to Example 4.4.4 (inclusive) | |
| | HW, Page153, #1(b, d, f), 5, 8 | |
| 40 | Read: Pages 149-152, up to Example 4.4.9 (inclusive) | |
| | HW, Page 154, #3, 7, 11, 13, 15 | |
| 41 | Read Section 4.5 | |
| | a. Find the sample space, S, and S | |
| | (i) Two card are selected from the red cards of a standard deck of 52 cards | |
| | (ii) A student must answer three questions from a set of four questions | |
| 42 | Read Section 4.5 | |
| | Pages 160-161, #2, 4, 6(a, c) | |
| | a. The employees of a company are in the following departments: 31 in Sales, 54 | |
| | in Research, 42 in Marketing, 20 in Engineering, 47 in Finance, and 58 in | |
| | Production. If an employee's paycheck is lost, what is the probability that the | |
| | employee is in the Research Department? | |
| | b. A shipment of 12 microwave ovens contains three defective units. A vending | |
| | company has ordered four of these units, and since each is identically packed, the | |
| | selection will be at random. What is the probability that (i) all four units are good, | |
| | (ii) exactly two units are good, and (iii) at least two units are good? | |
| Chapter 5 | | |
| 43 | Read Pages 163-165 | Homework |
| | Page 168, #1, 2, 8(a) | and glossary |
| 44 | Read Pages 166-168 | for Cn. 5&6 |
| | Pages 168-170, #5(b, d), 6(a, d), 7, 8(b), 9 | aue Fri., June |
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| | 3. Fir | nd all co | ngru | ience | clas | ses m | odul | o 6, | [n] | 6• | | | | | | | |
|----|--|--------------------------|-----------------------|-----------------|----------|-------------|------------|------------|-----------|-------------|------------|------------|----------------|--------|-----------------|----------|-------|
| 48 | Read Pages 174-175 (before 5.2.7) | | | | | | | | | | | | | | | | |
| | Page 177, #5, 6 | | | | | | | | | | | | | | | | |
| 49 | List numbers in $Z(6)$ and $[n]_6, n \in \mathbb{Z}$. Complete the $+_6$ and $*_6$ tables in $Z(6)$: | | | | | | | | | | | | | | | | |
| | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | | | | | | | | | | | | | | | | |
| | | 0 | | | | | | | | 0 | | | | | | | |
| | | 1 | | | | | | | | 1 | | | | | | | |
| | | 2 | | | | | | | | 2 | | | | | | | _ |
| | | 3 | | | | | | | | 3 | | | | | | | |
| | | 4 | | | | | | | | 4 | | | | | | | |
| | 1 5 | ind the | bhc | itivo | idont | itv ar | l nd mi | ultin | lica |) tiva i | don | titv / | $\int T($ | 6) | | | |
| | 1. I 2 I | ind the | addi | itive | invor | rcy ar | oach | مام | mcc mo | nt of | 7(6 | tity (| JI Z. (| 0). | | | |
| | 2. r | | auu | tive | niver | se 01 | each | ele | ine | | <u>ک(ر</u> |)). £7(| (\mathbf{O}) | | | | |
| | 3. F | -ind the | mur | tipiic ~ | ative | invei ~ | rse oi | ead | cn e | eleme | nt o | ηZ(| (0). | | | | |
| | 4. F | ind a. 2 | $2 +_{6} $ | 5;b. | $2*_{6}$ | 5 | | | | | | | | | | | |
| | 5. Find $x \text{ in } Z(6)$:a. $2 +_6 x = 0$; b. $2 +_6 x = 3$; c. $3 +_6 x = 2$ | | | | | | | | | | | | | | | | |
| | 6. Find $x \text{ in } Z(6)$:a. $2 *_6 x = 0$ | | | | | | | | | | | | | | | | |
| 50 | Read | Pages | 188-1 | 190 (| befoi | re Qu | asior | der |). | | | | | | | | |
| | 1. lt i | is Septe | mbe | r nov | v. Wł | nat is | the r | non | th a | after 4 | 10 n | nont | hs? L | Jse tł | ne mo | odula | r |
| | arith | metic n | otati | on to | sho | w you | ur wo | rk. | | | | . | | | | | |
| | 2. It i | is Thurs | day r | now. | Wha | t is th | ne da | y af | ter | 136 c | ays | ? Use | e the | mod | ular | arithn | netic |
| | nota | tion to : | snow | ' you ' ~ '7 | r wor | K. | nacit | | + | an I | 2.00 | a + b | -+ ;f | | 1 22(177 | nd n |) |
| | 3. Le | (<i>m</i> , <i>m</i> | , <i>n</i> , <i>n</i> | | , drie | лра | posit | ive | inte | ger. i | -100 | eth | atii | m = | m(II | $\log p$ |) |
| | and <i>i</i> | $n \equiv n(\mathbf{r})$ | nod j | p),t | nen i | $m \cdot n$ | $\equiv m$ | $\cdot n($ | ino | u p) | | | | | | | |
| | Page | 195,#7 | / | | | | | | | | | | | | | | |

Appendix B: Suggested Day-by-Day Schedule

This schedule gives you an idea how much you need to learn each day. You may study ahead of this schedule, but do not fall behind because it will be difficult to catch up once you get behind. We may modify this Schedule if necessary. The deadline of each homework assignment is also listed on Appendix A, Homework Assignments.

| Week of | Monday | Tuesday | Wednesday | Thursday | Friday | |
|---------|-----------------------------------|------------------|--------------------|---------------------|----------------------|--------------|
| June 1 | Read Syllabus | Section 1.2 | Section 1.2 | Section 1.4 | Section 1.5 | Homework |
| Week 1 | • Be familiar with | 3. Set | 6. Tree diagrams | 8. Introduction | 11. Quantifiers | and |
| | D2L | operations | and Cartesian | to logic | | glossary |
| | Get the course | 4. Laws of | coordinates | 9. Logic | Section 1.6 | for Ch. 1 |
| | materials | algebra of | | operations | 12. Implications | due |
| | Section 1.1 | sets | Section 1.3 | 10. Tautology | 13. Implications2 | Sunday, |
| | 1. Sets | 5. Proofs | 7. Partitions | | | June 7, |
| | 2. Venn | involving | | | | 11:59PM |
| | Diagrams | sets | | | | |
| June 8 | Section 2.1 | Section 2.1 | Section 2.2 | Section 3.1 | Section 3.1 | Test 1: |
| Week 2 | 14. Proof | 18. Proof | 21. Math | 25. Number | 27. Divisibility (1) | covers |
| | techniques 1 | techniques 5 | Induction | Theory: Intro. | 28. Divisibility (2) | Chapters |
| | 15. Proof | 19. Proof | | 26. Number theory: | 29. Prime numbers | 1&2 |
| | techniques 2 | techniques 6 | Section 2.3 | floor and ceiling | | |
| | 16. Proof | 20. Proof | 22. Pigeonhole | functions | Test 1 | |
| | techniques 3 | techniques 7 | principle 1 | | | |
| | 17. Proof | | 23. Pigeonhole | Homework and | | |
| | techniques 4 | | principle 2 | glossary for Ch. 2 | | |
| | | | 24. Pigeonhole | due Thurs June | | |
| | | | principle 3 | 11. 11:59PM | | |
| | | | r - r | , | | |
| | | | Review for Test 1 | | | |
| June 15 | 30. Relative primes | Section 3.4 | Section 4.1/4.3 | Section 4.4 | Section 4.5 | Test 2: |
| Week 3 | | 33. Divisibility | 36. Combination 1 | 39. Combinatorics 1 | 41. Probability 1 | covers |
| | Section 3.2 | tests | 37. Combination 2 | 40. Combinatorics 2 | 42. Probability 2 | Chapters |
| | 31. Euclidean | | 38. Combination 3 | | - | 3&4 |
| | Algorithm | Section 4.2/4.4 | | | | Homework |
| | | 34. Fundamental | Homework and | | Review for Test 2 | and |
| | Section 3.3 | principle of | glossary for Ch. 3 | | | glossary for |
| | 32. Least Common | counting | due Wed., June | | | Ch. 4 due |
| | Multiple | 35. Permutations | 17, 11:59PM | | | Sunday, |
| | | | | | | June 21, |
| | | | | | | 11:59PM |
| June 22 | Section 5.1 | Section 5.2 | Section 5.2 | Sections 6.1, 6.2 | Project | Test 3: |
| Week 4 | 43. Relations (1) | 45. Equivalence | 48. Congruence | | | covers the |
| | 44. Relations (2) | relations | Modulo p (2) | Catch up | Homework and | rest we |
| | | 46. Equivalence | | | glossary for Ch. | learn. |
| | Test 2 | Classes | Additional topic | Review for Test 3 | 5&6 due Fri., June | |
| | | 47. Congruence | 49. Modular | | 26, 11:59PM | |
| | | Modulo p (1) | Arithmetic (1) | Start working on | | |
| | | | 50. Modular | Project | | |
| | | | Arithmetic (2) | | | |
| June 29 | Test 3 | Project | Project | Project due by | | |
| Week 5 | Project | | | 11:59pm July 2 | | |
| | | | | | | |
| | | | | Complete online | | |
| | | | | evaluation | | |
| | | | | Summer I is over | | |

Appendix C

A Project of Discrete Mathematics

You will need to do a project on discrete mathematics. Start your project as soon as possible. Your project must be submitted electronically in the Microsoft Word file by 11:59PM, Thursday, July 2, 2020 to your instructor. Your project will be evaluated based the following rubrics.

- Your paper must have at least 10 pages with double line space, in addition to the title page and references. Each missing page will result in a deduction of 15 points I addition to the deductions based on the following rubrics.
- (5 points) Professional appearance and format of your paper: The margins are not more than 1" from each side; the font size should not be larger than 12; and the font can be Calibri, or Times New Roman. The paper must be numbered. The sizes of tables and pictures need to be reasonable. Your paper should be organized in the following format:
 - a. Project title, names of authors, emails and affiliations (optional)
 - b. Project summary, abstract, and/or objectives
 - c. Project Body (you may use sections, bullets tables, pictures)
 - d. Acknowledgement (if applicable)
 - e. References: If you obtained any information from the Internet, include the URL. You may use the MLA (Modern Language Association) citation style, or the Chicago citation style, or the style of a reputable mathematical journal, for example, the Journal of Mathematical Analysis and Applications (<u>http://www.elsevier.com/wps/find/journaldescription.cws_home/622886?generatepdf=true</u>)

Your paper must be presentable, or the entire project will receive 0 points.

- 3. (5 points) Summary or abstract of your project. You may include objective statements.
- 4. (15 points) Difficulty and complexity: There are four options for your project (see the next page). For Project Option 1 and 2, the difficulty refers to the level of school mathematics from the lowest, arithmetic, to the highest, calculus II. For Project Option 3, your project needs to be at least at the level you taught, teach, or will teach. The <u>appropriate</u> length of the project is also a consideration of difficulty, though the minimum length is 10 pages with double space. An unnecessarily lengthy paper will not be considered more difficult. Difficulty may mean complexity. Use and inclusion of definitions, theorems and proofs will reflect difficulty and complexity. The more difficult the mathematics is, the more points you may earn.
- 5. (15 points) Originality or creativity: The first meaning of originality is that your paper must be your own work. Plagiarism is prohibited, and hence will result in 0 for the <u>entire</u> project. Any materials taken from the Internet, publications and other people's work must be well cited. The second meaning of originality is that your work has not been seen on the Internet and in publications. Originality may also mean creativity. The more original work your project has, the more points you may earn.
- 6. (60 points) Readability and Communication: clear and correct calculation, derivation, proofs, applications and explanation; sufficient and appropriate examples; real world examples, particularly related to your students, school and community (this also contributes to originality); smooth connection and transition among concepts, definitions, theorems, examples, and explanations; use of pictures, diagrams, and tables; easiness for understanding; appropriate citation; completeness of the project; fun to read.
- 7. Correctness: mathematically your project must be correct. Errors and mistakes in mathematics will be subject to deduction of points you earn. Errors and mistakes in other areas (English, Education, Science...) may or may not cause a deduction, depending on the nature and significance of the errors and mistakes.

8. The instructor retains the final interpretation of the grading rubrics.

You can choose one of the following topics for your project:

Option 1, False Proofs: There are many false proofs. For example, the following article is an MIT student project:

• Xing Yuan, Mathematical Fallacy Proofs <u>http://dspace.mit.edu/bitstream/handle/1721.1/100853/18-304-spring-2006/contents/projects/fallacy_yuan.pdf</u>

You also see two other examples in our lecture, Proof Techniques (1), Introduction.

For this project, you need to search the Internet for more new false proofs. Do not use the examples from our lectures and Yuan's paper. For each false proof you use, please explain what lead to the false proof, and how the false proof helps students learn and understand and/or enhance your teaching.

Option 2, Analysis and Classification of Student mistakes and difficulties: Students often have difficulties and make mistakes in arithmetic, algebra, trigonometry, and calculus. Why? What kind of mistakes and difficulties do they make or have? How can you help? You may read the following articles from the following link: https://www.semanticscholar.org/paper/Classifying-students-mistakes-in-Calculus-Hirst/436f1e13390e367c9647d493a5b462561d63b003

- Keith Hirst. Classifying Students' Mistakes in Calculus
 - Nourooz Hashemia,*, Mohd Salleh Abua, Hamidreza Kashefia, Khadijeh Rahimib. Undergraduate students' difficulties in conceptual understanding of derivation

If you have taught or tutored before, you may collect the mistakes that your students made, then classify and analyze them. You may also develop a plan how you would apply your findings in your classroom.

Option 3, Discrete Mathematics in Your Classroom. If you are a pre-service or in-service teacher, you may choose to read the three articles in Section 4 (Pages 187-202, Pages 203-222, and Pages 223-236) and the four in Section 5 (pages 239-254, Pages 255-264, Pages 295-300, and Pages 301-307) in the following book,

• Discrete Mathematics in the Schools, edited by J. Rosenstein, D. Franzblau, and F. Roberts, published by the American Mathematical Society, ISBN-13: 978-0-8218-1137-5, http://bookstore.ams.org/dimacs-36/.

You may also read other articles in the book if you like. After your reading, develop a teaching plan how you can include some topics of discrete mathematics in your classroom.

Or, you may pick a section (or a topic) in the textbook. Develop a lecture note how you would teach it. Your lecture note should include introduction (your understanding of the section(s)), definitions, theorems, examples, and your explanation of the definitions, theorems, applications if there are applications, and homework assignments. Have a description why the section or topic is important.

Option 4: Any other topics of discrete mathematics that you would like to investigate further. Discuss this with your instructor before you work on it. See the following examples:

- David and Elise Price. Complex Numbers: From "Impossibility" to Necessity. The AMATYC 2018 Conference Proceedings <u>https://cdn.ymaws.com/amatyc.site-ym.com/resource/resmgr/2018_proceedings/s038_-</u> _price.pdf
- Sean Saunders, Standing on the Shoulders of Giants. The AMATYC 2019 Conference Proceedings. This is a Power Point Presentation, which gives you ideas what to do. When you write your project, you need to write it as a paper, not a PowerPoint Presentation. <u>https://cdn.ymaws.com/amatyc.site-ym.com/resource/resmgr/2019_conference_proceedings/s017_saunders.pdf</u>